

Microwave Frequency Stabilizer

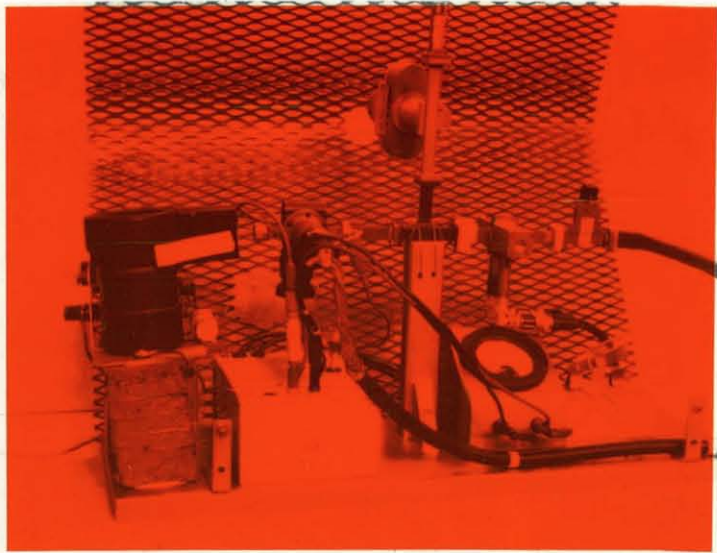
by

J. Farrand, C. Sprott, and T. Lovell

July 1968

PLP 214

Plasma Studies  
University of Wisconsin



Frontispiece - Klystron and Stabilizer

A number of useful plasma diagnostic techniques require a stable source of microwaves. We describe here a simple and flexible stabilizer which has proven useful with reflex klystrons in the 20-30 GHz range and could be modified for use at other frequencies.

THEORY

Figure 1 is a block diagram of the stabilizer.

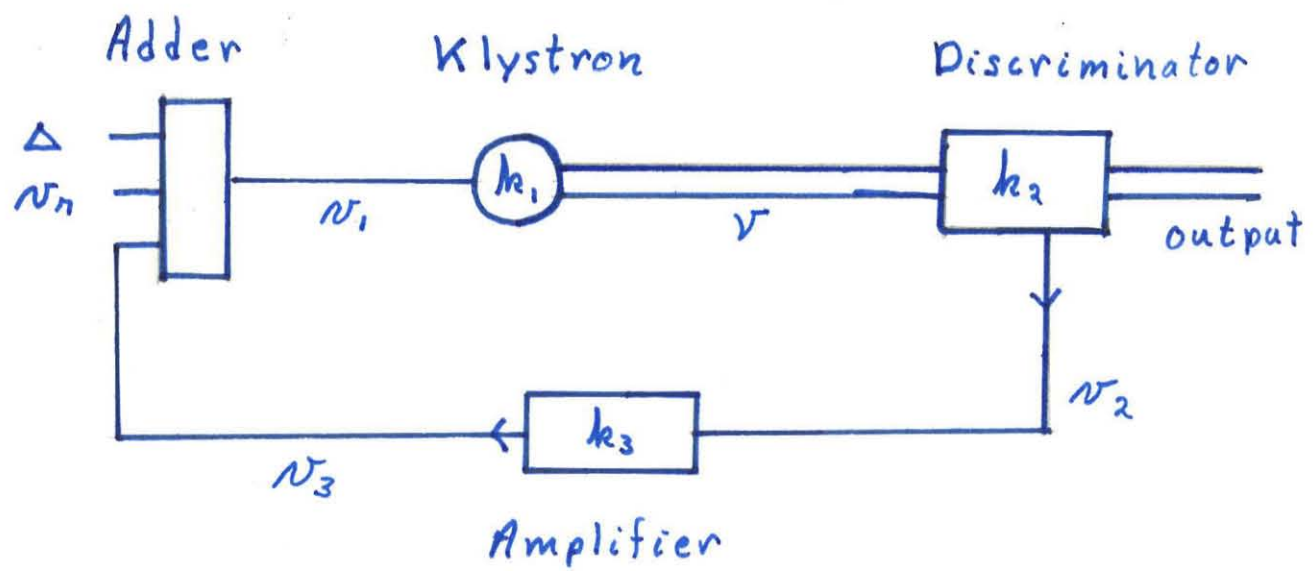


fig. 1

- $\nu$  = frequency of the klystron's oscillations
- $k_1$  = klystron's electric tuning sensitivity ( in  $\frac{Mc}{V}$  )
- $k_2$  = discriminator's sensitivity ( in  $\frac{V}{Mc}$  )

$k_3$  = amplifier gain

$v_r$  = repeller supply voltage

$\Delta$  = all the perturbations which tend to change the frequency of the klystron including fluctuations in  $v_r$ , thermal drift, mechanical vibration, etc.

As in R.J. Chafin's thesis, PLP 138, we have:

$$v_1 = \Delta + v_r + v_3$$

$$v = v_o + k_1(v_1 - v_r)$$

$$v_2 = k_2(v_1 - v)$$

$$v_3 = k_3v_2$$

where  $v_o$  = klystron's frequency when  $\Delta = 0$ ,  $v_3 = 0$ .

$v_1$  = center frequency of the discriminator characteristic

(see Fig. 6)

These equations imply

$$v = v_1 \frac{k_1 k_2 k_3}{1 + k_1 k_2 k_3} + \left[ 1 - \frac{k_1 k_2 k_3}{1 + k_1 k_2 k_3} \right] (v_o + k_1 \Delta)$$

Thus, if  $k_1 k_2 k_3 \gg 1$  we find that  $v \approx v_1$  and the effect of the perturbations is very much reduced. If we define the stability factor,  $S$ , as the ratio of the frequency deviations without stabilization to the frequency deviations with stabilization for the same perturbations  $\Delta$ , we find

$$S = 1 + k_1 k_2 k_3 \approx k_1 k_2 k_3.$$

## CONSTRUCTION

The details of the stabilizer are shown in Fig. 2.

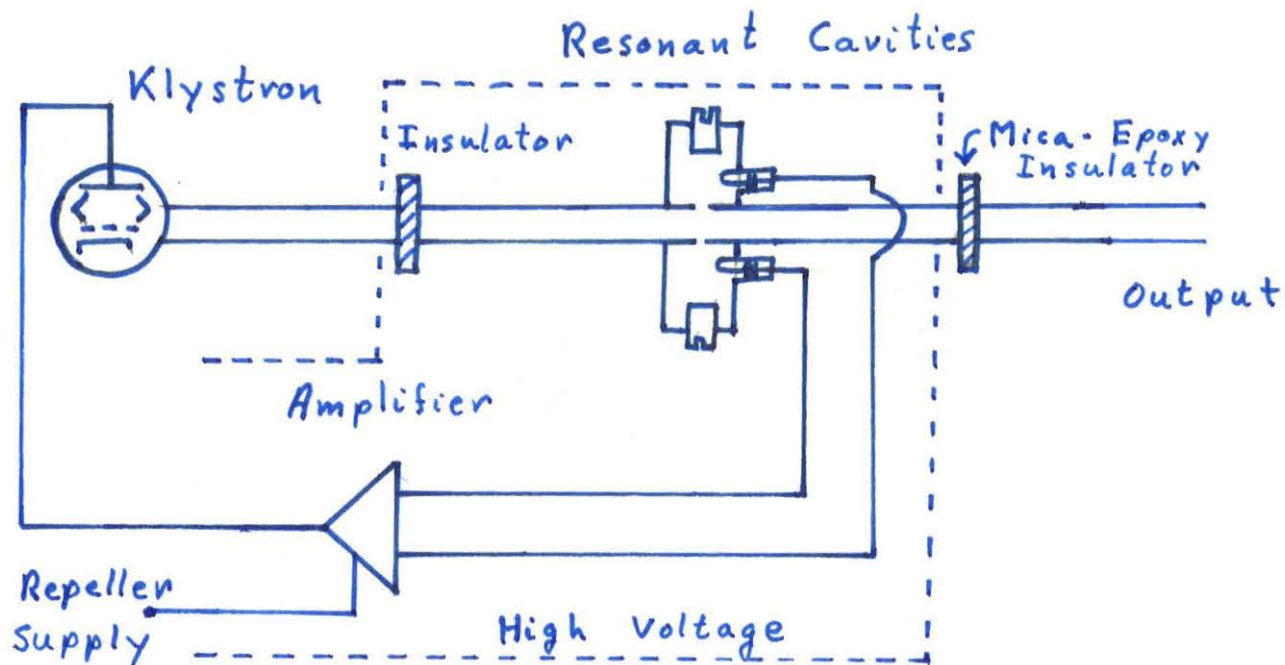


fig. 2

The discriminator consists of two resonant cavities cut in brass blocks  $1\frac{3}{4}'' \times 1'' \times 1''$ , copper plated on the inside, and coupled by adjustable wire loops and 1N26 diodes to the amplifier. The cavities are cylindrical,  $\frac{3}{4}''$  in diameter,  $1''$  long, and tunable by a  $\frac{3}{8}''$  screw. Analysis shows that without the screw the cavities have low order resonances beginning near 20 GHz, and we find experimentally that there is one easily tunable high Q ( $\sim 6000$ ) mode as well as a number of other resonances (too broad to be useful) in the 20-30 GHz range.

The coupling loops and diode mounts are shown in Fig. 3.



fig. 3 Detectors

The cavities are soldered to the (1/2" wide) waveguide and coupled to it through small ( $< 1/16''$ ) holes. They produce no noticeable loading of the klystron or waveguide. For operation at the center of its characteristic, the discriminator is, of course, insensitive to amplitude variations in the klystron's output.

The amplifier is built with two Fairchild 702 integrated circuit operational amplifiers. Its schematic diagram is given in Fig. 4. The low-pass filter between stage 1 and stage 2 is necessary to prevent the phase shift of the feedback loop from reaching  $180^\circ$  while the gain is greater than unity.

Since the repeller of the klystron is biased at  $\sim 2000$  volts negative with respect to ground (for a 2K33) and because it was inconvenient to connect the amplifier in the return lead of the  $-2000$  V

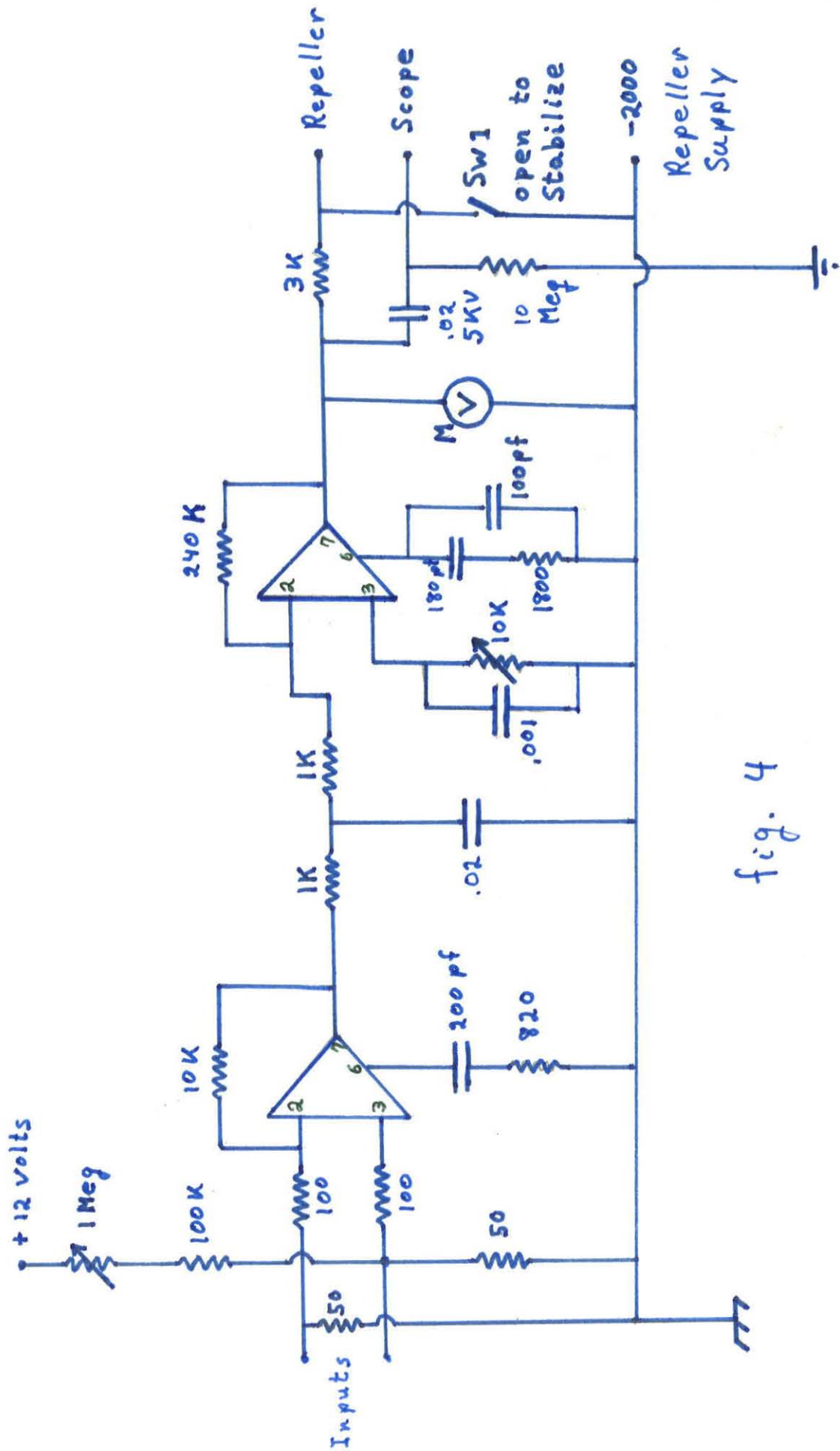


fig. 4

supply, the resonant cavities and the amplifier ride at - 2000 V. This causes no great difficulty, however.

#### OPERATION

Initial alignment is accomplished by disconnecting the amplifier and cavities from the repeller supply and operating the klystron unregulated in its most useful mode. A sawtooth sweep is applied to the repeller and the two leads from the discriminator output are connected to the differential inputs of a C.R.O. The tuning screws and coupling loops are then adjusted until a discriminator characteristic resembling the one shown in Fig. 6 is obtained.

If the amplifier is now inserted in the repeller lead and connected to the discriminator while the sawtooth sweep is still imposed on  $v_r$ , the voltage at the repeller will appear as shown in the lower trace of Fig. 7b. The horizontal portion of the graph represents the region over which the stabilizer is controlling the klystron frequency. (The whole klystron mode is approximately 30-40 Mc wide.)

The upper trace in Fig. 7b depicts the voltage produced by the detector at point A in Fig. 1 (i.e. the klystron's mode shape - we're far from the wave meter's resonance). Monitoring this waveform enables one to correct large scale drift in the klystron's frequency such as occurs during warm-up. This drift causes the flat portion of the trace (i.e. the stabilized portion) to move to one side of the klystron mode and can be corrected by a small adjustment in either the klystron's cavity size or its grid voltage.



Frequency stabilized operation is obtained by switching the klystron power supply to CW (repeller voltage constant - no sawtooth sweep) and adjusting  $v_r$  or the klystron grid voltage until the regulator "locks-on". Voltmeter M in Fig. 4 is useful in recognizing this condition. During operation, the meter reading may gradually move away from zero, indicating that the regulator is working harder and harder to hold the frequency constant. In this case  $v_r$  should be adjusted to return the meter to zero thus preventing the amplifier from saturating and eliminating any sensitivity of the discriminator to amplitude variations.

#### PERFORMANCE

As mentioned above, the performance of the regulator can be rated in terms of the stability factor  $S = 1 + k_1 k_2 k_3$ . In the present case we have

$$\begin{aligned} k_1 & 1/2 \text{ Mc/volt} \\ k_2 & .01 \text{ volt/Mc [for } 50 \Omega \text{ load]} \\ k_3 & 10,000 \end{aligned}$$

so that  $S \approx 50$ . This stabilization factor can be measured experimentally as follows. With the regulator and klystron in frequency stabilized operation, adjust the wavemeter at point A in Fig. 1 so that the regulated frequency is on the side of the wavemeter's resonance. The output of the detector at point A is then sensitive to small frequency deviations. If a small perturbation is now imposed on  $v_r$  and the resulting frequency deviation observed, (1) switch  $Sw_1$  open (i.e. stabilize - see Fig. 4) and (2) switch  $Sw_1$  closed, the stabilizing effect of the regulator can be measured. The stability factor,  $S$ , is just the ratio of the



Figure 2

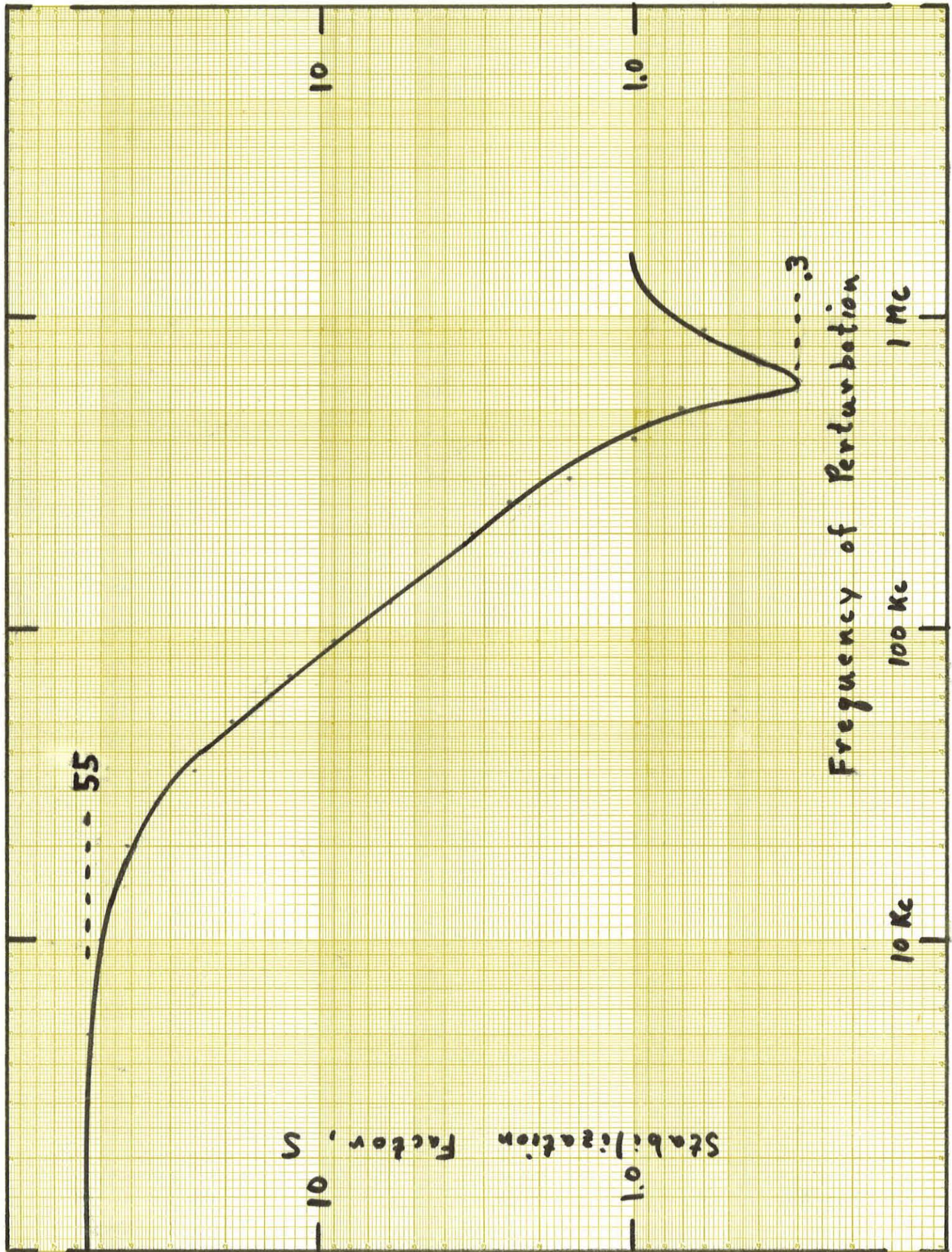


Fig. 5

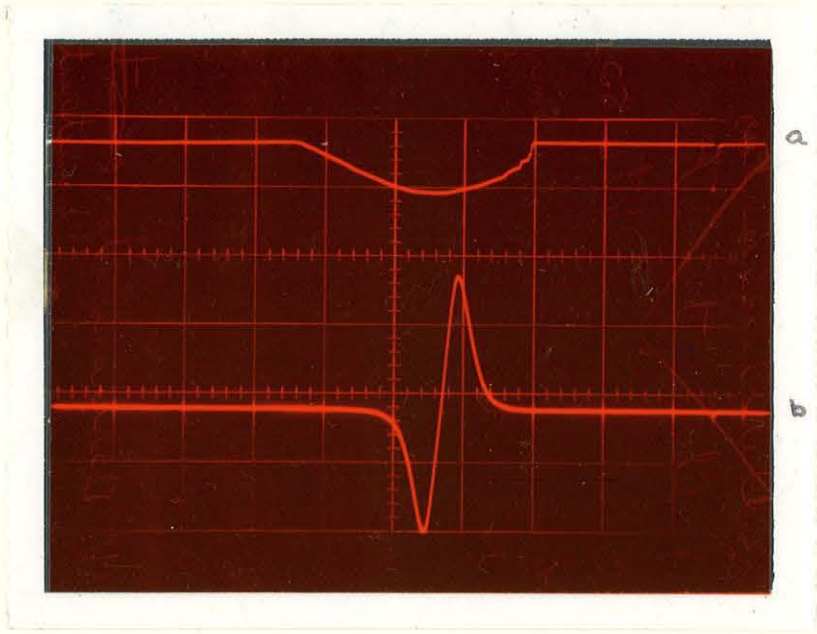


Fig. 6  
 a. Klystron mode  
 b. Discrimination characteristic

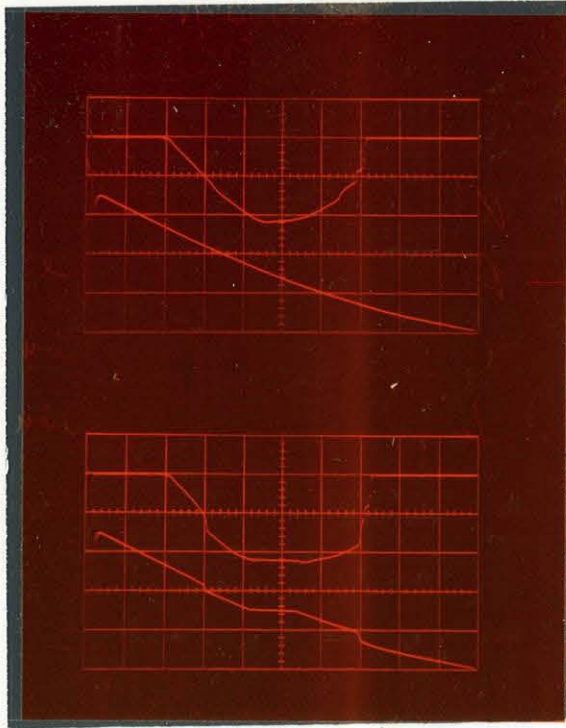


Fig. 7  
 Klystron mode and repeller voltage  
 a. Without stabilization  
 b. With stabilization

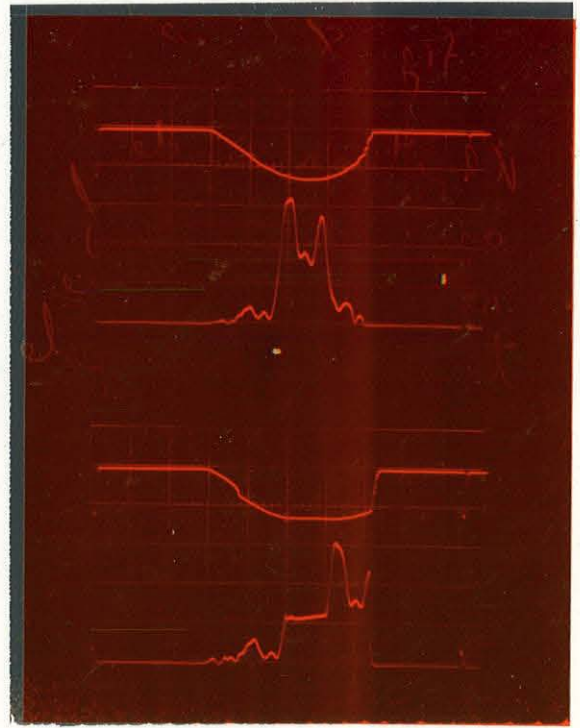


Fig. 8  
 Klystron mode and spectrum of resonances of the toroidal quadrupole